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Control strategy of distributed generation for voltage support in distribution systems

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Control strategy of distributed generation for voltage support in distribution systems

Abstract

Voltage problem is always a critical issue in operating a distribution system. The uncertainties of load distribution and variation have introduced a great complexity to the task of maintaining system voltage within the permitted range. In this paper, small-scale generator, known as distributed generation (DG), is employed in the system and acting as a voltage regulator. The output of DG is controlled in such a way that acceptable level of electrical supply quality is achieved with a reasonable operating cost. The DG controller is tested with a non-uniformly varying load on the time domain basis. Simulations have been conducted with both short term (few hundred seconds) and long term (weekly) load data to validate the proposed control technique. Results have proved that the system is well functioning not only technically but also economically.

Keywords

voltage, generation, distributed, support, strategy, distribution, control, systems

Disciplines

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Loading Capabilities Assessment of Power Transmission Lines

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ABSTRACT

This paper reviews the factors that affect the loading capabilities of the transmission line over the short duration. The paper demonstrates how to determine the impact of various parameters on the permissible loading of bare conductors of a power transmission line. Methods for calculating these factors are presented. A sample of a practical application is also included in order to show how these factors affect the loading capabilities of a transmission line.

Index Terms– Loading Capabilities Assessment, Heat Equation, Heat Gain, Heat Loss, Conductor Temperature.

1 INTRODUCTION

Due to increasing demands, transmission capacities currently are close to their limits. As building new transmission lines is expensive, there is a need for increasing the loading of existing transmission lines. This paper considers loading capabilities of a power transmission line.

The maximum loading capabilities of a long power transmission line can be determined by considering the system stability, economic energy losses or permissible voltage regulation [11]. On the other hand, the maximum loading capabilities for short power transmission lines can be determined by the thermal limit of the conductors, which determine the maximum sag, and the time distribution of conductor temperature [1]. The conductor temperature should be maintained within the safety limit. The ground conductor clearance consideration has often been used because it gives the lower limit. Maximum permissible temperature results in greatest permissible sag and also allows a maximum loss of tension strength by reducing the conductor life.

In Australia, maximum temperature for normal operation varies from 65 to 85 °C [1]. The conductor temperature depends on the load current, the electrical and thermal characteristic of conductor and atmospheric parameters such as wind velocity, sky condition, position of sun and others factors. The relationship between these parameters is known as heat equation. In this paper, heat equation will be examined in details under normal operation and fault current operation.

2 THE HEAT EQUATION

Conductor energy losses are caused by heat to the surrounding atmosphere. By considering the steady-state rating of the conductor, the following heat equation is applied [1]:

$$P_J + P_M + P_S = P_{con} + P_R + P_W \quad (1)$$

where P_J , P_M and P_S are the heat gains per unit length and per unit time by joule heating, magnetic heating and solar isolation respectively, and P_{con} , P_R and P_W are the heat losses per unit length and per unit time by convection, radiation and evaporation respectively. Heating and cooling due to the electrical corona [2] are neglected because this phenomenon is too complex and could occurs randomly. Evaporation term can also be neglected because it only occurs randomly. But in order to demonstrate the effect of water on the cooling of the conductor, it will be examined here.

3 THE HEAT GAINS

In this section, heat gain caused by joule heating (P_J), magnetic heating (P_M) and solar isolation (P_S) will be studied in details.

3.1. Joule Heating (P_J)

Assuming that conductor is a cylinder, the Joule heat input is obtained as [1,3]:

$$P_J = k_j I^2 R_{dc} [1 + \alpha_0 (T_s + \Delta T / 2)] \quad (2)$$

where I is the effective current (r.m.s), R_{dc} is the dc resistance per unit length at 0°C, T_s is the conductor surface temperature and ΔT is the temperature difference between core and surface of conductor and it is found from [3]:

$$\Delta T \cong \frac{P_J}{2\pi\lambda} \left[\frac{1}{2} - \frac{2D_c^2}{D_s^2 - D_c^2} \ell n \frac{D_s}{D_c} \right] \quad (3)$$

where λ is the effective thermal conductivity, and D_S and D_C are the diameter of the surface and core of conductor respectively. If the conductor is homogeneous, than $D_C = 0$.

The factor k_j accounts for increase of resistance due to skin and proximity effects, eddy currents and hysteresis. With direct current, $k_j = 1$. α_0 is the temperature coefficient between 0°C mean temperature of conductor.

3.2. Magnetic Heating (P_M)

The power gain due to magnetic viscosity varies with the frequency f and with the square of the peak magnetic field strength H_m . At power frequency, magnetic field strengths up to 5 kA/m are negligible.

The hysteresis heat gain P_H resulting from the movement of the magnetic domain walls in the cyclic field depends on magnetic induction B_m , temperature of steel wire T_c and frequency f . This can be expressed by the following equation [4]:

$$P_H = 3.4 \times 10^3 \exp(-2.3 \times 10^{-3} T_c) A_c f B_m^{1.68} \quad (4)$$

where A_c is the steel wire cross-sectional area. The magnetic field strength for a conductor with n_t layers of non-ferrous wires having alternative directions of lay is given by

$$H_m = \sqrt{2} \sum_{n=1}^{n_t} \left[(-1)^{n+1} w_n I_n / s_n \right] \quad (5)$$

where w_n is the fraction of the layer current I_n which flows helically around the steel core, and s_n is the lay length of the wires in layer n . The total heat gain P_M due to the power loss in steel core is given by

$$P_M = P_e + P_H \quad (6)$$

where P_H is usually 2 to 5 times P_e . The experimentally determined relationship for the above steel wire at 50 Hz is [5]:

$$P_M = 4.9 \times 10^6 d^{1/2} A B_m^{1.82} \exp(-2.5 \times 10^{-3} T_c) \quad (7)$$

where d is the steel wire diameter.

3.3. Solar Heating (P_S)

There will be additional heat gain by solar irradiation if the conductor is exposed outdoor or direct under the sun. It all depends on the absorptance of the conductor surface, total irradiance, angle of incidence between solar beam and the axis of the conductor, conductor projected area and also ground reflectance.

For isotropic diffuse sky radiation, total solar heat received by unit length of the conductor is given by [6]:

$$P_S = a D I_s = a D \left((1 + \frac{\pi F}{2}) I_{dir} + (1 + F) \pi \frac{I_{diff}}{2} \right) \quad (8)$$

Currently in Australian practice [6, 7], the value of 1000 W/m² (93 W/ft²) for direct solar radiation and 100 W/m² (70 W/ft²) for diffuse solar radiation are chosen as the appropriate conditions throughout Australia for summer and winter noon conditions. Also it is assumed that under clear sky condition, diffuse radiation, I_{diff} , is 10% of the direct solar radiation, I_{dir} .

F is the albedo of the ground, and has a value of 0.2 for soil, grass and crops. Albedo values for other conditions of the ground are shown in table 1.

Table 1: Albedo Value for different ground conditions

Ground Condition	Albedo Value
Water	0.05
Forest	0.1
Urban areas	0.15
Sand	0.3
Ice	0.4 – 0.6
Snow	0.6 – 0.9

4 THE HEAT LOSS

This section examines in detail the heat losses caused by convection, radiation and evaporation.

4.1 Convective Cooling (P_{con})

The convective heat transfer per unit length per unit time, P_{con} has three forms. Different types of convection can be calculated as follow [8, 9, 10].

4.1.1 Natural Convective cooling ($\nu = 0$)

$$P_{con} = 0.072 D^{0.75} (T_s - T_a)^{1.25} \quad (9)$$

where D = conductor diameter (inch)

T_s = Conductor temperature (°C)

T_a = Ambient temperature (°C)

4.1.2 Forced Convective cooling ($Re \leq 1000$)

$$P_{con} = [1.01 + 0.37 \left(\frac{D P_f V}{U_f} \right)^{0.52}] K_f * (T_s - T_a) \quad (10)$$

where P_f = density of air (lb/ft³)

V = wind velocity (ft/hr)

U_f = absolute viscosity of air
(lb/hr. ft)

K_f = thermal conductivity of air,
(W/ft. °C)

4.1.3 Forced Convective cooling ($Re \geq 1000$)

$$P_{con} = [0.1695 \left(\frac{D P_f V}{U_f} \right)^{0.6}] K_f * (T_s - T_a) \quad (11)$$

where P_f = density of air (lb/ft³)

V = wind velocity (ft/hr)

U_f = absolute viscosity of air (lb/hr. ft)

K_f = thermal conductivity of air, (W/ft. °C)

The values of P_f , U_f and K_f can be determined from equations (9) – (11) and are useful for computer applications [9, 10]:

$$P_f = 21.6578 e^{elev(-3.90696 \times 10^{-5})} \times t_f^{elev(1.51218 \times 10^{-7}) - 0.996289} \quad (\text{lb/ft}^3) \quad (12)$$

$$U_f = \frac{t_f}{5165.9 + 5.16708 t_f} \quad (\text{lb/h ft}) \quad (13)$$

$$K_f = 1.20498 \times 10^{-3} + t_f (2.26545 \times 10^{-5}) \quad (\text{W/ft}^2) \quad (14)$$

where 'elev' is the elevation of the conductor above mean sea level (ft) and t_f is the air film temperature.

4.2 Radiation Cooling

The heat loss due to radiation is approximated by [11]:

$$P_R \cong \pi D_s \sigma_B \varepsilon \left[(T_s + 273)^4 - (T_a + 273)^4 \right] \quad (15)$$

where, σ_B is the Stefan-Boltzman constant, T_a is the air temperature and ε is the total emissivity of the surface of the conductor, and is given as

$$\varepsilon = \frac{\varepsilon_s \varepsilon_x}{\varepsilon_x + \varepsilon_s (1 - \varepsilon_x) D_s / D_x} \quad (16)$$

where, ε_s is the emissivity of conductor surface having diameter D_s and ε_x is the emissivity of the surrounding distance $D_x/2$.

So heat loss by radiation can also be written as:

$$P_R = 0.17838 \times 10^{-6} * D_s \varepsilon_s \left[(T_s + 273)^4 - (T_a + 273)^4 \right] \quad (17)$$

4.3 Evaporation Cooling

When the conductor is wet, the evaporative heat loss P_w is given by [1],

$$P_W \cong P_{con} (p_{ws} - p_{wa}) / A_{con} p_a (T_s - T_a) \quad (18)$$

Where

$$\log_{10} p_{ws} = 10.23255 - 1750.286 (T_s + 235)^{-1} \quad (19)$$

$$p_{wa} = r (p_{wa})_{sat} / 100 \quad (20)$$

where r is the percentage relative humidity, and $(p_{wa})_{sat}$ is the saturated vapour pressure in the atmosphere, and is given by

$$\log_{10} (p_{wa})_{sat} = 10.23255 - 1750.286 (T_a + 235)^{-1} \quad (21)$$

A_{con} is the psychrometer coefficient that is equal to $5.8 \times 10^{-4} \text{ K}^{-2}$, p_a is the atmospheric pressure. The variation of the atmospheric pressure at altitude H is given by

$$p_a(H) = p_a(0) \left(1 - 6.5 \times 10^{-3} H / 288.16 \right)^{5.2561} \quad (22)$$

5 TIME-CONDUCTOR TEMPERATURE CALCULATION

When the conductor current is increased, the conductor temperature will also be increased by the impressed

current, the conductor properties and ambient conditions. When conductor current has changed, the steady state condition for heat equation is no longer balanced. It is because the resistive heat gain has increased instantaneously. Resistive heat gain can be written as an additional heat term ΔP in the heat equation. This additional heat input raises the conductor temperature over time until it reaches a new value such that the heat equation is in balance again. The heat equation can be written as follows [12]:

$$P_{in} = P_{out} + \Delta P \quad (23)$$

$$P_{in} = I^2 \times R_{ac} + P_s + P_m \quad (24)$$

$$P_{out} = P_c + P_r + P_w \quad (25)$$

Assuming for a short time interval, where Δt is less than 10 seconds. Over this period, the conductor temperature is increasing by ΔT . The increase of conductor temperature provided by excessive energy can be expressed as follows [12]:

$$\Delta P \times \Delta t = m \times s \times \Delta T \quad (26)$$

Rearranging the above equation, we get

$$\Delta T = \Delta P \times \Delta t / (m \times s) \quad (27)$$

A new conductor temperature, resulting from heat storage during the increment can be calculated as:

$$T_{new} = T_{old} + \Delta T \quad (28)$$

T_{new} now can be calculated and used to compute ΔT corresponding to the next time interval Δt . The process continues until the entire rating period is calculated. Final calculated temperature can then be compared with the allowable conductor temperature.

6 PRACTICAL APPLICATION

A 110kV power transmission line (copper 19/0.116", 19 strands), was used with the load current increased from 244A to 449A [13]. Under steady condition of wind velocity and ambient temperature, different thermal rating can be imposed on to this transmission line depending on the cloud condition.

Fig 1 shows that the cloud condition which affect the loading capabilities of power transmission line. From Table 2, under clear sky condition ($c = 0$), it shows that it only took 0.4 minute for the conductor to reach its maximum temperature with steady state rating of 261A. Under cloudy conditions ($c = 0.7$), it took about 5 times longer (2.1 minute) to reach maximum temperature. The steady state rating also increases by approximately 20% (316A). However in very cloudy condition ($c = 1$), it took up to 12 times longer compared to clear sky condition (4.8 minute) to reach the maximum temperature and the steady state rating increases by approximately 40% (368A). In other words, the overload can last up to 4.8 minutes. This shows that overload can last longer under very cloudy sky condition compared to clear sky condition.

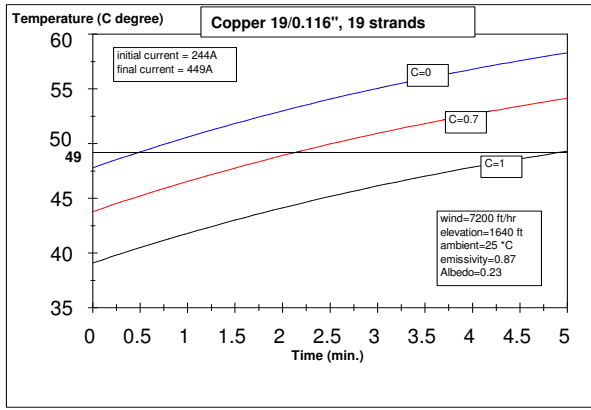


Fig. 1 Temperature Vs Time under different cloud condition.

Table 2: Results obtain under different cloudy factor (Albedo = 0.23)

Remarks	C=0	C=.7	C=1
Max. design temp. (°C)	49	49	49
Initial temp. (°C)	47.8	43.8	39.1
Steady state rating (A)	261	316	368
Time to reach 49°C (min)	0.4	2.1	4.8

Fig. 2 and Table 3 show the results obtained under different operating hours at the same conditions as above. Fig. 2 shows that during midday, when solar heat gained by conductor is maximum, lowest values of thermal rating and overload duration were obtained. It took only 2.1 minutes to reach the maximum temperature in the midday with steady state rating of 316A, and 1.5 times longer (3.3 minutes) in the morning with steady state rating increase by approximately 10% (346A). However, it took 4.5 minutes, which was almost double the time compared to the midday condition to reach maximum temperature in the evening with steady state rating increase by approximately 15% (364A). So, this clearly tells us that solar heat gain affects the loading capabilities of power transmission line.

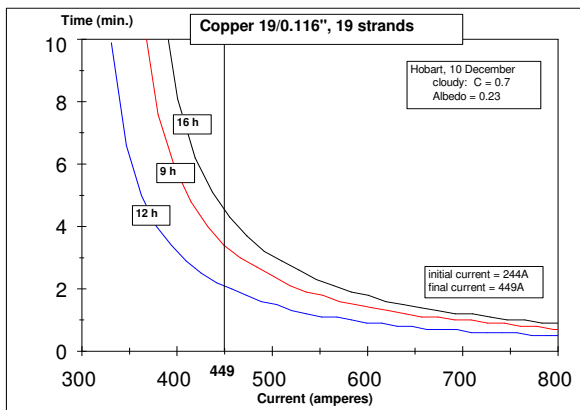


Fig. 2 Time Vs Current under different hours.

Table 3: Results obtain under different hours. (Albedo = 0.23, C = 0.7)

Remarks	9 h	12 h	16 h
Max. design temp. (°C)	49	49	49
Initial temp. (°C)	41.2	43.8	39.5
Steady state rating (A)	346	316	364
Time to reach 49°C (min)	3.3	2.1	4.5

7 SUMMARY AND DISCUSSION

Heat equation has been studied in detail in this paper. From sample particle application, it shows that the loading capabilities of a transmission line will be affected by the surrounding atmosphere conditions, such as the sky condition and the position of sun. Under very cloudy sky condition, the overload can last about 12 times longer compared to the clear sky condition. Also in the evening, conductor overload duration can last up to twice the time compared to the midday.

List Of Symbols

- I current, (A)
- m mass per unit length of conductor, (kg/ft)
- H altitude of the sun (angular elevation above horizon).
- D overall diameter of conductor, (m)
- d outer wire diameter of conductor, (m)
- s specific heat at constant pressure. (J/kg. Deg.C)
- P_J power gain per unit length by joule heating, (W/ft)
- P_M power gain per unit length by magnetic heating, (W/ft)
- P_S power gain per unit length by solar irradiation, (W/ft)
- P_{con} power loss per unit length by forced convection, (W/ft)
- P_w power loss per unit length by evaporation, (W/ft)
- P_R power loss per unit length by radiation, (W/ft)
- R_{dc} d.c. resistance per unit length, (Ω /ft)
- P_f Density of air (lb/ft^3)
- U_f Absolute viscosity of air (lb/hr. ft)
- K_f Thermal conductivity of air (W/ft. °C)
- T_a air temperature, (°C)
- T_s mean temperature of conductor surface, (°C)
- v wind velocity, (m/sec)
- α_0 temperature coefficient of resistance, per deg.C
- ϵ_s Surface emissivity
- λ effective radial thermal conductivity of conductor, (W/m. deg.C)
- σ Stefan-Boltzmann constant = $5.64 \times 10^{-8} \text{ W/m}^2$
- F albedo of ground
- r percentage relative humidity
- A_{con} $5.8 \times 10^{-4} (\text{K}^{-2})$
- P_a Atmospheric pressure

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